# THE META VERSUS PARA SUBSTITUENT EFFECT IN THE GAS PHASE: SEPARATION OF INDUCTIVE AND RESONANCE COMPONENTS

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Substitutent effects of acceptor groups were measured for the gas-phase basicities of some substituted benzonitriles, methyl benzoates and acetophenones, and for gas-phase acidities of some substituted benzoic acids. Substituents considered were NO<sub>2</sub>, CN, SO<sub>2</sub>CH<sub>3</sub>, SO<sub>2</sub>F, CF<sub>3</sub>, CH<sub>2</sub>Cl, COCH<sub>3</sub> and COOCH<sub>3</sub>, always in the *meta* and para positions. By combination with the literature data, **a** general conclusion is drawn that the substituent effects are proportional in the two positions and almost equal (the para: meta ratio is 1.06). No sign of any resonance effect was detected within the accuracy of the approach. The substituent effects in solution were recalculated statistically and the result was similar with **a** higher ratio, 1.09-1-19. It follows that the conjugation of acceptor groups, particularly of NO2 **as a** typical example, has been overestimated by current theories when compared with the much stronger conjugation of typical donors. Moreover, the inductive effect is propagated more effectively from the para than from the *meta* position. Many correlations in the literature, neglecting this situation, have been in fact controlled by the more complex, and more striking, behaviour of donors, which has obscured the simpler and more monotonous effect of acceptors, usually less represented in the sample.

Classical theory of substituent electronic effects distinguishes two main mechanisms,<sup>1</sup> inductive (later with the preferred term field effect) $\ddagger$  and mesomeric (otherwise conjugative or resonance), although a more detailed classification has also been advanced.<sup>2</sup> Quantitative separation of these effects was pioneered by Taft and co-workers:<sup>3</sup> numerous later attempts<sup>4,5</sup> proceeded essentially along the same lines and brought only slightly different results. An important role in the separ-<br>When the reactions investigated also obey the Hammett

INTRODUCTION ation was given to *meta* and *para* derivatives of benzene. The total substituent effect may be expressed by equations (1), in which Taft's dual substituent parameters (DSP),<sup>3</sup>  $\sigma_I$  and  $\sigma_R$ , are measures of the inducconstants  $\rho$  express the sensitivity towards these effects. tive and resonance effect, respectively; the reaction

$$
\log k_{\rm m} - \log k^0 = \rho_{\rm 1}^{\rm m} \sigma_{\rm I} + \rho_{\rm R}^{\rm m} \sigma_{\rm R}
$$
 (1a)

$$
\log k_{\rm p} - \log k^0 = \rho_{\rm 10}^{\rm p} + \rho_{\rm R}^{\rm p} \sigma_{\rm R} \tag{1b}
$$

equation, it follows that all the  $\rho$  values must be proportional. Expressing the total substituent effect by the

$$
\sigma_{\rm m} = \sigma_{\rm I} + \alpha \sigma_{\rm R} \tag{2a}
$$

$$
\sigma_{\rm p} = \lambda \sigma_{\rm I} + \sigma_{\rm R} \tag{2b}
$$

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 $\frac{1}{2}$  Prompted by a referee's comment, we are obliged to stress Hammett constants  $\sigma_p$  and  $\sigma_m$ , we obtain the substitution of the substitution of the stress here that we shall not deal with the questions which of the terms 'field' or 'inductive' is more appropriate or which of the underlying models is more efficient. We use the traditional term 'inductive' and an operational definition: it is the substituent effect operative in a rigid molecule without multiple<br>here are therefore two assumptions involved in the<br>herefore in a rigid molecule without multiple to the There are therefore two assumptions involved in the bonds. The different models were discussed recently.<sup>1d,e</sup> In our terms of such simple models in accordance with quantum their ratio in various reactions. The constant  $\alpha$  (0.33 or chemical laws; the discussion of which model is better is essen-<br>  $0.5$ , according to the exact definition<sup>3a</sup> of  $\sigma_R$ ) is reason-<br>
ably constant, excluding compounds with direct opinion, the nature of the effect can hardly be described in and and additivity of the two effects and constancy of opinion, the nature of the effect can hardly be described in

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resonance between the substituent and the reaction centre ('through-resonance' as in 4-nitroaniline). Compounds with this through-resonance can be treated using special values<sup>3a,c,d</sup> of  $\sigma_R$  ( $\sigma_R^+$  or  $\sigma_R^-$ ), or variable values<sup>3b</sup> of  $\alpha$ , or an additional term<sup>6</sup> in equations (1). Our attention will be focused on normal cases without through-resonance. The second constant,  $\lambda$ , was originally taken as unity.<sup>3</sup>

Various statistical procedures for determining  $\sigma_I$  and  $\sigma_R$  on the basis of equations (1) have been analysed<sup>7</sup> concerning the combined effects of experimental uncertainty and of various presumptions. Most reliable seem to be calculations in which  $\sigma$ <sup>I</sup> values are based on separate measurements on aliphatic compounds.<sup>3d,4a</sup> Then  $\sigma_R$ ,  $\rho_I^p$  and  $\rho_R^p$  are obtained together by least-squares treatment; the *meta* derivatives are in this case less important and can be treated separately. In a less reliable procedure, all  $\sigma$  and  $\rho$  values are obtained at once by a principal component analysis.<sup>4d</sup> In all statistical methods there are excessive degrees of freedom which must be removed by arbitrary constraints, for instance by giving fixed values to certain substituents.<sup> $4a,d,8,9$ </sup> By relaxing these constraints the results can change dramatically.<sup>7</sup> Still another kind of evaluation proceeds in terms of  $\sigma_{m,p}$  and equations (2): it seems simple if  $\sigma_I$  are known but a problem arises with adjusting the two empirical constants,  $\sigma_p$  and  $\sigma_I$ , to the same scale.<sup>4c,5,10</sup> In particular, the adjustment reported by Charton<sup>4c</sup> is erroneous from the purely mathematical point of view (see the footnote in the Conclusions section).

For these reasons, an attempt was made to solve the problem in a simpler and more convincing way.<sup>5</sup> If it were possible to find (even empirically) a subset of substituents without resonance effect ( $\sigma_R = 0$ ),  $\lambda$  could then be obtained from a plot of  $\sigma_p$  vs  $\sigma_m$ , and scaling of  $\sigma$ <sup>I</sup> could be accomplished from a plot of  $\sigma$ <sup>I</sup> vs  $\sigma$ <sup>m</sup>. It is evident from any collection<sup>8</sup> of  $\sigma_{I}$  and  $\sigma_{R}$  values that the resonance effects of donors ( $\sigma_R$  negative) may be combined in different substituents with variable inductive effect, while acceptor groups are less variable. Typical acceptors have inductive and resonance component of the same sign (both  $\sigma_I$  and  $\sigma_R$  positive), and the former is dominant in most cases.<sup>11</sup> ('Nature has endowed **us** with a variation of donors whereas the common acceptors form a cluster-like group with less discriminating abilities'<sup>11a</sup>). Actually we previously obtained a linear dependence<sup>5</sup> (slope  $\lambda = 1.14$ ) by plotting  $pK$  values of substituted benzoic acids in mixed solvents, *para* vs *meta.* The mathematical expression is equation (3), or in terms of  $\sigma$  constants, equation (4). The intercept  $\varepsilon$ , near to zero, is added here only for the purpose of later mathematical discussion (see Appendix).

$$
(\log k_p - \log k^0) = \lambda (\log k_m - \log k^0) + \varepsilon \qquad (3)
$$

$$
\sigma_{\rm p} = \lambda \sigma_{\rm m} + \varepsilon \tag{4}
$$

It should be stressed that equations **(3)** and (4) hold

only for non-conjugated substituents; a more detailed enumeration will be given later. The substituents originally used<sup>5</sup> were both strong and weak acceptors:  $NO<sub>2</sub>$ , CN,  $SO_2X$ , CHal<sub>3</sub> and CH<sub>2</sub>X, and including even some neutral groups such as  $CH_2C_6H_5$  and  $CH_2OCH_3$ . Slight deviations were observed for carbonyl substituents, COCH<sub>3</sub>, COC<sub>6</sub>H<sub>5</sub>, COOH and COOC<sub>2</sub>H<sub>5</sub>. The plots were later complemented by more recent data and similar plots were constructed. **7\*12** The conclusions originally drawn were the following.

(a) Many substituents on the benzene ring, practically all groups without a lone electron pair in the  $\alpha$ -position, act essentially by a single mechanism, whatever it may be termed. When it was called<sup>5</sup> provisionally an inductive effect, this term need not correspond exactly to the definition given in the earlier footnote.

(b) The effect of these substituents is propagated through the benzene nucleus more effectively from the *para* than from the *meta* position. This statement does not depend on whether the inductive or field model is accepted. In this particular case, participation of  $\pi$ electrons in the transmission was suggested and called the  $\pi$ -inductive effect.<sup>2,5</sup>

(c) When this definition of the inductive effect is retained, it follows that many popular substituents are much less conjugated with the benzene nucleus than often assumed (through-resonance excluded): for many experimental quantities the contribution from conjugation may be unascertainable.<sup>5,13</sup>

These conclusions were not accepted by Taft, Palm, Charton and others, **3d34c\*14** mainly with the belief that resonance effects must be present but they are simply proportional to the inductive effects. Attention was also drawn to the possible influence of the solvent. **3d** However, studies with various solvent systems gave the same result.<sup>7,15</sup> Recently, conclusion (c) was repeatedly confirmed, particularly on nitrobenzene. *l6* Conclusion (b) also received support.<sup>17</sup> Principal component analysis showed fundamental differences between the action of donors and acceptors, <sup>15b</sup> in agreement with conclusion (a). In later papers, Taft and colleagues admitted that  $\sigma_R$  of acceptors may be effectively zero in certain circumstances, **l8** and used the modified values for gasphase acidities. *l9* However, the most recent analysis accepts only non-zero values of  $\sigma_R$  for acceptors and assumes again  $\lambda = 1$ .

In this paper, we report on gas-phase acidities and basicities of benzene derivatives substituted in *meta* and *para* positions with acceptor groups; they were measured by Fourier transform ion cyclotron resonance (FT-ICR). The gas-phase measurements are directed against the objection<sup>3d</sup> that the the value  $\lambda > 1$  is due only to solvent effects. They also have the merit of including reaction series which cannot be investigated in solution. The reactions chosen by us do not give any opportunity for through-conjugation; further, we tried to avoid compounds in which the site of protonation is uncertain. Finally, the selection of compounds was restricted by their volatility. The authoritative review by Taft and Topsom" lists **15** pairs of compounds satisfying these conditions, and an additional pair was found in the literature.<sup>20</sup> However, these examples were restricted to three substituents:  $NO<sub>2</sub>$ , CN and CF<sub>3</sub>. We investigated here mainly some less common groups:  $SO_2CH_3$ ,  $SO_2F$  and  $CH_2Cl$ , and in addition also COCH3 and COOCH3, for which some deviation from equation (3) could be expected.<sup>5</sup> The correlation of gasphase acidities was carried out by Tatf and Topsom<sup>19</sup> by regression against  $\sigma_I$  and  $\sigma_R$ , but the few acceptor groups often had only a small influence on the results. In contrast, we performed the analysis only on acceptor substituents and used direct comparison according to equation **(3).** 

#### EXPERIMENTAL

*Materials.* **3-Methoxycarbonylbenzenesulphonyl flu**oride and **4-methoxycarbonylbenzenesulphonyl** fluoride were described recently.<sup>21a</sup> The remaining compounds are known and were characterized in previous work.<sup>21</sup>

*Physical measurements.* The general method for the determination of gas-phase proton transfer equilibria by FT-ICR has been described.<sup>22</sup> As the aim of this work was the comparison of rather similar values, we used as far as possible the same set of reference compounds for a given pair of *meta* and *para* isomers. Therefore, the measured differences in acidity or basicity are highly significant and not loaded by scaling errors.

During our measurements we found some discrepancies between our experimental data and the current basicity scale.23 For this reason, the *GB* value for dibutyl ether was revised. The *GB* value for acetophenone<sup>23</sup> was also not consistent with our data; in our opinion this should be corrected according to the data in Table 1.

The equilibrium constants were measured at a cell temperature of **338 K.** If we neglect the heat capacity effects, the temperature correction of the Gibbs energy of proton transfer to **298 K** can be written as

$$
\Delta G(T_0) = \Delta G(T_1) + (T_1 - T_0) \Delta S
$$

The entropy change is mainly due to the change in symmetry number of the species involved in the proton transfer  $(\Delta S_{\text{rot}} = -R \ln \sigma)$ . In most cases  $\Delta S \approx 0$ . For bases having two identical functions  $\Delta S = \Delta S_{\text{rot}} =$  $-R \ln 2$ , hence a correction of  $-0.23 \text{ kJ} \text{ mol}^{-1}$  was applied to  $\Delta GB$  (see footnote f in Table 1). The results are given in Tables 1 and **2.** 

#### RESULTS AND DISCUSSION

Let us examine successively the three conclusions<sup>5</sup>  $(a)$ - $(c)$  given in the Introduction.

### **Substituent effects of acceptors**

The relative acidities and basicities of benzene *meta* and *para* derivatives collected in Tables 1 and **2** represent 10 pairs. They can be combined with literature data<sup>19,20</sup> to give altogether **26** pairs with eight different substituents in seven reaction series. All the data can be represented in a single plot (Figure **l),** since equation (3) does not involve any particular constant characteristic of the reaction series. A statistical treatment must take into account that each variable is loaded with an experimental error and that the point for the unsubstituted compound has a particular position. The necessary statistics are explained in the Appendix and the results are given in Table **3,** line 1. The standard deviation from the regression line is comparable to the assumed experimental error. Unexplained is the deviation of the point for  $C_6H_4(CN)_2$  (Figure 1), but omitting this point does not improve the fit markedly (Table **3,** line 1A). The salient feature is the general character of the effect of acceptors, irrespective of their different structures and also being in different series. This is in agreement with principal component analysis;<sup>15b</sup> generally the behaviour of *meta* derivatives was simple (with a smaller number of terms in the correlation equation) than that of *para* derivatives, but when the substituents were restricted to acceptors, one term was sufficient for both series.

Using the same statistics, we are now able to recalculate the solution data which were previously treated only graphically.<sup>5,7,12,15a</sup> In Table 3 attention was paid to selecting data comparable in both character and accuracy. For instance, the constants  $\sigma$  from a recent review<sup>8</sup> are of variable reliability and in a plot similar to Figure **1** the regularity could disappear in the noise. Therefore, we examined separately groups of substituents (Table 3, lines  $7-10$ ) and some data were eliminated as outliers by virtue of their deviations (see footnotes to Table **3).** For this reason, more important are the results obtained on homogeneous series of directly measured dissociation constants (Table **3,** lines **2-6),** in which no available data have been omitted. The series **2** in Table **3,** represented also in Figure **2,** is only a slight extension of the published plot.  $12e$  In general, the results obtained in the gas phase and in solution are very similar, disproving the objection<sup>3d</sup> that the validity of equation **(3)** is due only to solvent effects.

Taking together the available evidence, equation **(3)**  seems to be one of the best experimentally supported empirical relationships in the field of common linear free energy relationships; it is valid for acceptors of different structure under different conditions. Particular attention was given to substituents of the  $CH<sub>2</sub>X$  type, which could show at most a slight hyperconjugation, compared with substituents such as  $NO<sub>2</sub>$  or CN, for which resonance structures are possible. When the two groups were treated separately (series 3 and **4** in Table **3),** the results were the same. In our opinion, these

meta- and para- substituted compound (B)	Reference compound (Ref.)	$GB(Ref.)^a$	$\triangle GB^e$	$GB(B)^s$
<b>Benzonitriles</b>				
$3$ -CH <sub>2</sub> Cl	$c$ -Pr $CN$	784.9	$+3.7$	787.8
	PhCN	787.8 <sup>b</sup>	$-0.9$	
$4$ -CH <sub>2</sub> Cl	$c$ -PrCN	784.9	$+5.1$	789.3
	PhCN	$787.8^{b}$	$+0.8$	
$3$ -CF <sub>3</sub>	<b>EtCHO</b>	$760 - 7$	$+6.4$	768.2
	$n$ -PrCHO	768.6	$+0.7$	
$4$ -CF3	EtCHO	$760 - 7$	$+5.0$	765.9
	$n$ -PrCHO	768.6	$-2.5$	
$3$ -CN	MeCN	$754.8^{b}$	$+1.9f$	757.5
	EtCHO	760.7	$-2.4^{\rm f}$	
4-CN	MeCN	$754.8^{b}$	$+2.4$ <sup>f</sup>	759-3
	EtCHO	$760 - 7$	$+0.4f$	
$3-SO2Me$	HCO <sub>2</sub> Et	775.3	$+1.1$	$777 \cdot 0^h$
	$n-PrCN$	777.0	$+0.5$	
$4-SO2Me$	HCO <sub>2</sub> Et	775.3	$+0.3$	$776 \cdot 2^{h}$
	$n-PrCN$	777.0	$-0.3$	
$3-NO2$	<b>MeCN</b>	$754.8^{b}$	$+1.8$	$757 - 6$
	EtCHO	760.7	$-2.1$	
$4-NO2$	MeCHO	$747 \cdot 3^{b}$	$+6.3$	753.3
	MeCN	754.8 <sup>b</sup>	$-2.3$	
	<b>EtCHO</b>	$760 - 7$	$-6.9$	
Methyl benzoates:				
$3-CO2Me$	$(n-Pr)_{2}O$	813.8	$+4.9f$	818.5
	c-PrCO <sub>2</sub> Me	$816.3^{b}$	$+2.0^{r}$	
4-CO <sub>2</sub> Me	Et <sub>2</sub> O	805.0 <sup>b</sup>	$+11 \cdot 1^{f}$	$816 - 1$
	$(n-Pr)_{2}O$	813.8	$+1.6$ <sup>f</sup>	
	$c$ -PrCO <sub>2</sub> Me	$816.3^{b}$	$+0.5$ <sup>f</sup>	
$3-SO2Me$	MeCO <sub>2</sub> Me	795.0 <sup>b</sup>	$+9.1$	804.5
	Cyclopentanone	$801 - 2$	$+3.2$	
	Et <sub>2</sub> O	$805 \cdot 0^b$	0.0	
4-SO2Me	MeCO <sub>2</sub> Me	$795 \cdot 0^b$	$+6.1$	$801 \cdot 7$
	Cyclopentanone	$801 - 2$	$+0.4$	
	Et <sub>2</sub> O	$805 \cdot 0^6$	$-2.6$	
$3-SO_2F$	HCO <sub>2</sub> Et	775.3	$+6.0$	781.8
	$c$ -Pr $CN$	784.9	$-2.1$	
	t-BuCN	$786 \cdot 2^b$	$-4.9$	
$4-SO_2F$	HCO <sub>2</sub> Et	775.3	$+2.4$	778.3
	$c$ -Pr $CN$	784.9	$-5.5$	
	$t$ -BuCN	$786.2^{b}$	$-8.4$	
Acetophenones:		813.8	$+9.6$ <sup>f</sup>	824.5
3-COMe	$(n-Pr)_{2}O$		$+4.3f$	
	$(n-Bu)$ <sub>2</sub> O	$821 \cdot 2^c$	$-5.5^{\circ}$	
	PhCOMe	$(825.9)^d$	$+6.8$ <sup>f</sup>	
4-COMe	$c$ -PrCO <sub>2</sub> Me	$816.3^{b}$		$823 - 3$
	$(n-Bu)$ <sub>2</sub> O	$821 \cdot 2^c$	$+2.3$ <sup>f</sup> $-7.5$ <sup>f</sup>	
	PhCOMe	$(825.9)^d$		

Table 1. Gas-phase basicities (in kJ mol<sup>-1</sup>) of *meta* and *para* derivatives of benzene

**<sup>a</sup>**Ref. 23, unless stated otherwise.

<sup>b</sup> Additions and corrections to Ref. 23, personal communication, 1987.

<sup>c</sup> Revised value; (*n*-Bu)<sub>2</sub>O was found here to be a stronger base than (*n*-Pr)<sub>2</sub>O and *c*-PrCO<sub>2</sub>Me by 7.0 and 5.3 kJ mol<sup>-1</sup> in *GB*, respectively.<br><sup>d</sup> This value reported in Ref. 23 is not consistent with our measu

Measured at 338 K and estimated to be valid at **298** K unless there is **no** symmetry change during proton exchange; see footnote f.

<sup>8</sup> Average values from the individual measurements as given in preceding columns.

<sup>h</sup> Protonation of these compounds may possibly occur on the sulphonyl group instead of the cyano group.<br>Since this concerns both the *meta* and *para* derivative, the conclusions would be little changed.

<sup>&</sup>lt;sup>f</sup> A correction of  $-\Delta TR \ln 2 = -0.2$  kJ mol<sup>-1</sup> has been applied to equilibria involving compounds with a symmetry number of 2.

AH (benzoic acid)	Ref.H (reference compound)	$\Delta_{\text{acid}}G^{\circ}(\text{Ref. H})^{\text{a}}$	$\Delta \Delta_{\rm acid} G^{\circ}$	$\Delta_{\text{aicd}} G^{\circ}(AH)$
$3-CH2Cl$	$4$ -C $F_3$ -phenol	$1381 - 3$	$-1.3$	$1380 \cdot 0$
	$3$ -C $F_3$ -phenol	1390.8	$-10.6$	
$4$ -CH <sub>2</sub> Cl	$4$ -C $F_3$ -phenol	$1381 - 3$	$-3.3$	1377.9
	$3$ -C $F_3$ -phenol	1390.8	$-12.8$	

Table 2. Gas-phase acidities (in  $kJ$  mol<sup>-1</sup>) of *meta*- and *para*-substituted benzoic acids

**'Ref. 24.** 

findings make untenable the objections  $3d,14$  that all these groups are in fact conjugated but their mesomeric effects are approximately proportional to their inductive effects. One must rather accept that the acceptor groups are simply less diversified,  $11$  and their simpler behaviour has been obscured in most correlations by the more conspicuous behaviour of donors.<sup>15b</sup>

In conclusion to this section, one should define



Figure 1. The *meta-para* plot for the Gibbs energies  $(kJ \text{ mol}^{-1})$  of the gas-phase ionization of various aromatic compounds: *(0)* acidities of substituted benzoic acids; *(0)*  basicities of substituted benzonitriles;  $(O)$  basicities of various carbonyl compounds. Substituent used were only groups: CH<sub>2</sub>Cl, CF<sub>3</sub>, COCH<sub>3</sub>, COOCH<sub>3</sub>, CN, NO<sub>2</sub>, SO<sub>2</sub>CH<sub>3</sub> and S02F. Experimental data from this work and Refs 19 and 20

exactly the substituents for which equation (3) is valid. Our original statement was that it is valid for groups without an unshared electron pair and without an electron sextet in the  $\alpha$ -position.<sup>5</sup> This definition can now be examined more closely. Certainly equation **(3)** holds even for substituents with multiple bonds if these groups are sufficiently strong acceptors  $[NO<sub>2</sub>, CN, N=NC<sub>6</sub>H<sub>5</sub>, C<sub>6</sub>H<sub>2</sub>(NO<sub>2</sub>)<sub>3</sub>],$  even a triple bond itself is sufficient in C=CH or C=CC<sub>6</sub>H<sub>5</sub>. However, groups with a  $C=C$  double bond without further electron-attracting substitution act as donors and deviate downwards in plots such as those in Figures 1 and 2 (CH=CHC<sub>6</sub>H<sub>5</sub>, C<sub>6</sub>H<sub>5</sub>). Groups with an  $\alpha$  lone electron pair also deviate downwards, <sup>12a</sup> usually very distinctly (OR, SR, NR<sub>2</sub>, halogens). When such substituents bear electron-attracting atoms or groups, their total mesomeric effect diminishes and the points in the graph approach the line pertinent to the acceptors.<sup>12a</sup> In the limiting case the mesomeric effect is near to zero and the substituent is controlled by equation (3)  $[SCF<sub>3</sub>, SCOCH<sub>3</sub>, SOCF<sub>3</sub>, SecF<sub>3</sub>, N(CF<sub>3</sub>)<sub>2</sub>$  ; in contrast, the electron-attracting power of the fluorine atoms in  $OCF<sub>3</sub>$  is not sufficient to overcome the conjugation. Insufficient data are available concerning unsubstituted alkyl groups which can possibly act as hyperconjugative donors in addition to their strong polarizability and to solvent effects. In mixed solvents, the point for unsubstituted methyl does not deviate<sup>5</sup> but in water and in the gas phase<sup>19</sup> alkyl groups behave as weak donors. Another question still unanswered is whether some substituents actually act as acceptors by resonance, deviating upwards in plots such as those in Figure 1 or **2.** (The cases of through-resonance with a donor as reaction centre are excluded.) Such evident acceptors were  $B(OH)_2^5$  and  $BBr_2$ , <sup>16b</sup> but no further evidence has since been obtained. Concerning the carbonyl substituents (COCH<sub>3</sub>, COC<sub>6</sub>H<sub>5</sub>, COOH,  $COOCH<sub>3</sub>$ ), the opinion was offered<sup>5</sup> that their resonance constants are positive and just detectable within the framework of the correlation analysis  $(0.03-0.05$  in  $\sigma$  units). In individual plots, their deviation may appear to be negligible or just detectable.<sup>5,12a,b,15a</sup> Also some polyfluorinated substituents seem to deviate,  $5.12a$  but also at the limits of accuracy.





"See Appendix for the exact meaning of the statistics; the two values of *r* correspond to equations **(A9)** and **(AIO),** respectively.

 $b^b$ Standard deviation from the regression line in kJ mol<sup>-1</sup>, pK units or  $\sigma$  units as appropriate.

'The number of points corresponds to the number of substituents (without hydrogen) in lines **1-4** and 6-10, or to the number of solvents in line *5.*  <sup>d</sup> Substituents COX excluded; with seven points concerning these substituents the results are practically unchanged; data from Refs 5, 12a and 15a and references cited therein.

<sup>1</sup>Substituents SnPh<sub>3</sub> and SiPh<sub>3</sub> excluded as outliers,  $s = 0.050$  if included.

<sup>j</sup> Only substituents with sulphur in a higher oxidation state, mainly SO<sub>2</sub>X, sulphoxides only with electron attracting groups; two Se analogues included; substituent SO<sub>2</sub>Cl excluded as outlier, *s* = 0·042 if included.<br><sup>k</sup> Only substituents with phosphorus in a higher oxidation state or with electron-attracting substituents, simple phosphines excluded; substituents

P(O)PhTol and P(S)PhTol excluded as outliers,  $s = 0.017$  if included.

 $\text{F}$  Including substituents COX but not CH<sub>2</sub>X; data as in series 2 and in addition from Ref. 25.

<sup>&#</sup>x27;Data from Ref. *25.* 

<sup>&#</sup>x27;Data of various origins, sometimes estimated, Ref. 8.

<sup>&</sup>lt;sup>h</sup> Without pure alkyls; substituents CHMeOH, CMe<sub>2</sub>OOH and CH<sub>2</sub>P(O)Ph<sub>2</sub> excluded *a posteriori* as outliers,  $s = 0.037$  if included.



Figure 2. The *meta-para* plot of **pK** values **of** substituted benzoic acids in two mixed solvents **(50%** ethanol and **80%**  2-methoxyethanol). (O) substituents  $CH<sub>2</sub>X$ ; ( $\bullet$ ) acceptor substituents. Experimental data from Refs **12a** and *<sup>25</sup>*

#### **Transmission through the benzene ring**

Another result from Figures 1 and 2 and Table **3** is the values of slopes. For the gas phase, the slope  $\lambda = 1.06$ is just significantly greater than unity; for the  $pK$  values in solution it is between  $1 \cdot 11$  and  $1 \cdot 16$ . In the literature, X was often taken as unity, either on *a priori*  grounds  $3d,14a,b,26$  or as an approximate assumption which cannot be disproved. **4e38** Even values lower than unity were sometimes claimed.<sup>14c</sup> In one case, <sup>4c</sup> the reason was omitting the important point **(0,O);** this is a fatal mistake with few points. In other cases complex calculations were carried out, <sup>3d, 4e</sup> usually related to the principal component analysis.<sup>4a,d,f</sup> We have shown previously' that these calculations are never unambiguous; the resulting set of  $\sigma_I$  and  $\sigma_R$  can be transformed without affecting the condition of the best fit. For instance, any set of  $\sigma_1$  and  $\sigma_R$  can be replaced by new values  $\sigma_1^*$  and  $\sigma_R^*$  according to equations (5) with an arbitrary value of **c.** After this substitution, equations **(2)**  retain their validity with an unchanged fit. However,  $\lambda$ is changed from  $\lambda = 1$  to  $\lambda = 1 + c - \alpha c$ . In this way  $\lambda$ can assume any value.

$$
\sigma_{I} = (1 - \alpha c) \sigma_{I}^{*}
$$
 (5a)

$$
\sigma_{\mathbf{R}} = \sigma_{\mathbf{R}}^* + c\sigma_{\mathbf{I}}^* \tag{5b}
$$

To remove this ambiguity, some constraints were usually accepted. Popular was the constraint<sup>4a,d</sup>  $\sigma_R(NMe_4^+) = 0$ , which was heavily criticized. <sup>8,9,11</sup> We conclude that statistical procedures are unable to yield a value of  $\lambda$  as reliable as that obtained by a direct plot (see Figures **1** and **2** and similar relationships in particular cases). **l7** 

The value  $\lambda > 1$  could be interpreted in terms of a more effective propagation of the inductive effect from the *para* position than from the *meta* position if we were able to define exactly what the pure inductive effect is. In aliphatic compounds an operational definition is evident,  $f^c$  for instance referring to the popular framework of bicyclo [2,2,2]octane, but the effect is largely independent of the model compounds chosen.<sup>1c,4c,8</sup> To extend the definition to aromatic systems one must assume that there are at least some substituents which cannot be conjugated (say  $CCl<sub>3</sub>$  or CH<sub>2</sub>X); the two hypotheses,  $\lambda > 1$  and  $\sigma_R$ (CH<sub>2</sub>X) = 0, then support each other.

#### **Conjugation of the acceptor groups with the benzene ring**

At this point, our previous opinion<sup>5</sup> has received the strongest support from recent investigations. Practically all the reasoning was centred on the negligible conjugation in nitrobenzene<sup>16</sup> and will not be discussed here.

Interaction of a general substituent with the benzene ring can be also expressed by an isodesmic reaction [equation **(6)].** Of course, this interaction can be different in nature and cannot be equated with the resonance or conjugation terms.

$$
CH_3X + C_6H_6 = C_6H_5X + CH_4
$$
 (6)

Nevertheless,  $\Delta H^0$  values for equation (6), calculated for acceptors  $(X = NO<sub>2</sub>, CHO, COCH<sub>3</sub>, COOH)$ , are for acceptors  $(X = NO_2, CHO, COCH_3, COOH)$ , are<br>lower in absolute values  $(-15 \text{ to } -29 \text{ kJ mol}^{-1})$  than lower in absolute values  $(-15 \text{ to } -29 \text{ kJ mol}^{-1})$  than<br>those for typical donors  $(X = OH - 52.8,$ those for typical donors  $(X = OH - 52.8, NH<sub>2</sub> - 47.5 kJ mol<sup>-1</sup>).$  The validity of this comparison is somewhat compromised by the small number of available enthalpies of formation<sup>27</sup> and also by their relatively low accuracy.

#### **CONCLUSIONS**

The results in this paper give further support to the ideas of different behaviours of donor and acceptor substituents in correlation analysis,<sup>5,11</sup> and of the negligible conjugation of acceptors (at least with the benzene ring). These results also contribute to the problem of the separation of inductive and resonance effects. However, the latter problem is very difficult and a quantitative solution can probably not be obtained with the desirable accuracy. In our opinion, the inductive effect can be estimated with some reliability from systems

**other than benzene derivatives. The resonance effect obtained as a difference is not accurate and too**  variable.<sup>1c</sup> The latest scheme with four different sets of  $\sigma_R$  constants,  $3d,8$  all only for benzene derivatives, is **merely a confession that a general separation is unattainable. It appears that benzene derivatives are not the best model since the effects in** *meta* **and** *para* **positions are too similar; the solution of equations (1) or (2) with the unknowns**  $\sigma_{\text{I}}$  **and**  $\sigma_{\text{R}}$  **is then mathematically unstable. Note that perfect separation of inductive and resonance effects in the**  $\sigma_I$  **and**  $\sigma_R$  **values would be of theoretical importance, but does not affect the use of these constants in correlations according to equations (1); any of their linear combinations would give the**  same statistical fit.<sup>\*</sup>

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<sup>\*</sup>This evident mathematical feature was neglected in the attempted separation which started with adjusting  $\sigma_I$  and  $\sigma_p$  to the same scale.<sup>4c</sup> This adjustment was carried out repeatedly, and  $\sigma_1$  were scaled successively by a systematically increasing factor. In each case a set of  $\sigma_1$  and  $\sigma_R$  was calculated and tested on several series of (insufficiently differing) data. Evidently the fit must be the same, independent of the value of the variable factor; the best value cannot be found in this way.

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#### APPENDIX

#### **Statistical procedure**

Equation **(3)** requires a special kind of regression when the slope  $\lambda$  is to be estimated from a set of experimental values:  $\log k_{p,i}$ ,  $\log k_{m,i}$  and  $\log k^0$ . We assume here that the equation is valid and the deviations are caused only by experimental errors in these three quantities, which all possess the same distribution with zero expected value and variance  $\delta^2$ . We consider three possibilities as to how the experimental data have been obtained:

- (1) All values of log  $k_{p,i}$ , log  $k_{m,i}$  and log  $k^0$  are available from a common source with the same accuracy.
- All  $\log k_{\text{p},i}$  and  $\log k_{\text{m},i}$  have the same accuracy, but  $\log k^6$  was obtained by repeated measurements and is much more accurate.
- (3) Always a subset of three values of  $\log k_{p,i}$ ,  $\log k_{m,i}$ and  $\log k_i^0$  is available from the same source; this means that each value of log  $k_i^0$  is used only together with the log  $k_{p,i}$  and log  $k_{m,i}$  values to which it belongs.

In case (3), the actual variables are (log  $k_p - \log k^0$ )<sub>i</sub> and (log  $k_m - \log k^0$ )<sub>i</sub> and the regression is forced through the origin:  $\epsilon = 0$  in equation (3). In case (2), the regression also passes through the origin with a good approximation. In case **(l),** the experimental value of log *ko* constitutes a unique additional point with the coordinates  $(0, 0)$  and  $\varepsilon$  means the second parameter to be estimated. If, however, the slope  $\lambda$  is near unity, this estimation would be ineffective and the regression line is better assumed to pass through the origin. This is seen from the graphical representation: when the experimental points are pictured as small circles, the point for log  $k^0$  is represented by a given line at an angle of **45** to the coordinate axes. Therefore, we used the regression line passing through the origin [equation **(Al)]** in all cases. The least-squares condition for equal experimental errors in either coordinate is equation **(A2).** In geometrical terms it means that deviations are minimized in the perpendicular direction to the regression line. *<sup>28</sup>*

$$
y = bx \tag{A1}
$$

As PHASE 623  
\n
$$
y = bx
$$
 (A1)  
\n
$$
SS_R = \frac{1}{1+b^2} \sum_{i} (y_i - bx_i)^2 = \min
$$
 (A2)

By introducing  $b = \tan \beta$  we obtain the solution in a convenient form [equation **(A3)].** The residual sum of squares is given **by** equation **(A4).** The standard deviation fron the regression line [equation **(AS)]** represents an estimate of  $\delta$  in case **(1)** or **(2)** or of  $\sqrt{2}\delta$  in case **(3)**.

$$
\tan 2\beta = \frac{2b}{1 - b^2} = 2 \sum_{i} x_i y_i \left| \left( \sum_{i} x_i^2 - \sum_{i} y_i^2 \right) \right| \quad (A3)
$$

$$
RSS = \sum_{i} y_i^2 - b \sum_{i} x_i y_i
$$
 (A4)

$$
s^2 = RSS/(n-1)
$$
 (A5)

The statistical distribution of **b** was not examined here. Its standard deviation is given approximately by equation (A6) (for another approximation, see Ref. **28).** 

$$
s_b = \frac{sb}{\sum_i x_i y_i} \sqrt{\sum_i x_i^2 + \sum_i y_i^2}
$$
 (A6)

**All** regressions in this paper have been calculated according to equations **(Al)-(A6).** 

**A** problem may arise when we want to define a 'correlation coefficient' comparable to that used in the literature in the case of common regression. One starts better from the term coefficient of determination, which is defined by either equation (A7) or **(A8).** 

$$
r^{2} = \left[\sum_{i} (\hat{y}_{i} - \bar{y})(y_{i} - \bar{y})\right]^{2} / \left[\sum_{i} (\hat{y}_{i} - \bar{y})^{2}\right]
$$

$$
\sum_{i} (y_{i} - \bar{y})^{2} \right]
$$
(A7)  

$$
1 - r^{2} = \sum_{i} (y_{i} - \hat{y}_{i})^{2} / \sum_{i} (y_{i} - \bar{y})^{2}
$$
(A8)

In the case of common regression these two definitions yield the same well known expression for *r.* In our case, the results are different. From equation **(A7)** we obtain equation **(A9)** whether we use equation (A7) as it is written or replacing **y** by *x* in it:

$$
r^{2} = \left(\sum_{i} x_{i} y_{i}\right)^{2} \left| \left(\sum_{i} x_{i}^{2} \sum_{i} y_{i}^{2}\right) \right|
$$
 (A9)

With equation **(A8)** it is not clear what should be substituted for the denominator; we propose a preliminary definition as in the equation

$$
1 - r^2 = RSS \left[ \sum_i (x_i - \bar{x})^2 + \sum_i (y_i - \bar{y})^2 \right]
$$
 (A10)

The correlation coefficient does not have the same meaning in the two definitions. In equations **(A8)** and **(A10)** it can be understood in terms of information entropy; it is the ratio of entropy (uncertainty) after the

regression has been applied to the entropy before the regression, when only the mean values of *x* and *y* were known. Equations (A7) and **(A9)** represent the angle of two vectors in the polydimensional space; the angle is

small when the correlation is close. We hope to examine this mathematical problem more closely.<sup>29</sup> In Table 3 the values of *r* according to the two definitions are given; the differences in these examples are negligible.